This contains a list of my refereed publications. It also includes problem solutions; student theses; unpublished techreports. A complete (gzipped) bib file can be obtained with URL http://orion.math.uwaterloo.ca:80/~hwolkowi/henry/reports/publs.bib.gz

The order of the list is:

1. Books and special issues first.
2. Chapters in Books second
3. Papers in refereed Journals third
4. Papers in refereed Conference Proceedings fourth
5. Technical Reports fifth
6. Theses (including students' theses) sixth

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